

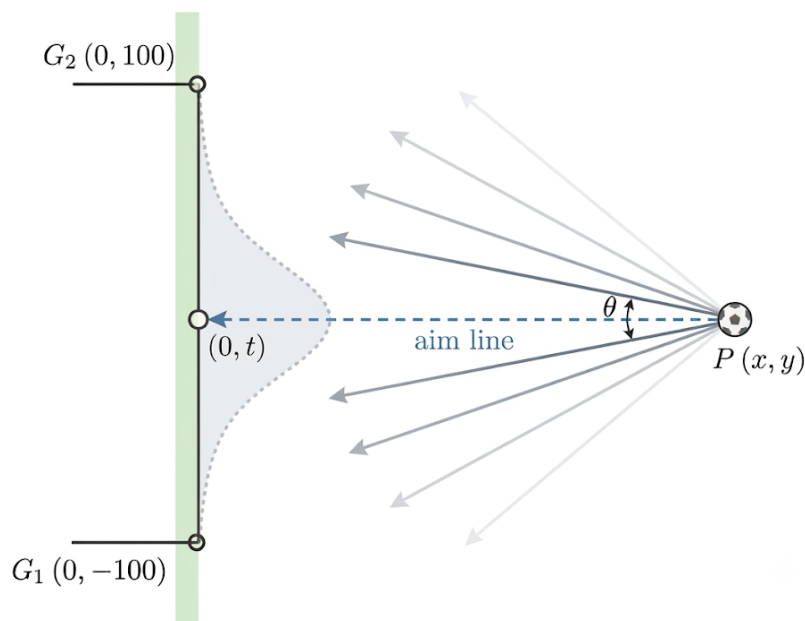
Problem G: Goal

Every four years the whole planet stops for the World Cup. Every country except this one. Thailand has never qualified, not once, so we do what we always do: coach a team that isn't even playing, from the sofa. And even "watching" is generous, because most matches sit behind a paywall. No subscription, no football.

But not this year. If the nation can neither reach the World Cup nor afford the subscription to watch it, you will at least master the free kick, armed with a striker, some coordinates, and the faith that geometry, unlike our national team, never chokes. Where should he aim?

The goal is the segment of the y-axis between the two posts $G_1 = (0, -100)$ and $G_2 = (0, 100)$. The striker takes the free kick from a point $P = (x, y)$ with $x > 0$.

The striker chooses a spot $(0, t)$ on the goal line and aims straight at it. Nobody is perfect, though: the ball leaves at an angle that differs from the intended aiming direction by a random error. This angular error is drawn from a Gaussian distribution with mean 0 and some fixed positive standard deviation. After leaving the boot, the ball travels in a straight line.



A goal is scored when the ball's path crosses the goal line strictly between the posts, that is, it crosses the y-axis at a point $(0, s)$ with $-100 < s < 100$.

For each free kick, report the aiming spot $(0, t)$ that gives the striker the greatest probability of scoring.

Input:

The first line contains an integer T , the number of free kicks.

Each of the next T lines contains two integers x and y , the striker's position $P = (x, y)$.

Output:

For each free kick, print on its own line the value t (the y-coordinate of the best aiming spot), with 4 digits after the decimal point.

Sample Input	Sample Output
4 100 0 100 50 50 -30 30 80	0.0000 23.4436 -23.6391 67.0030

Constraints:

- $1 \leq T \leq 1000$
- $1 \leq x \leq 1,200$
- $-400 \leq y \leq 400$